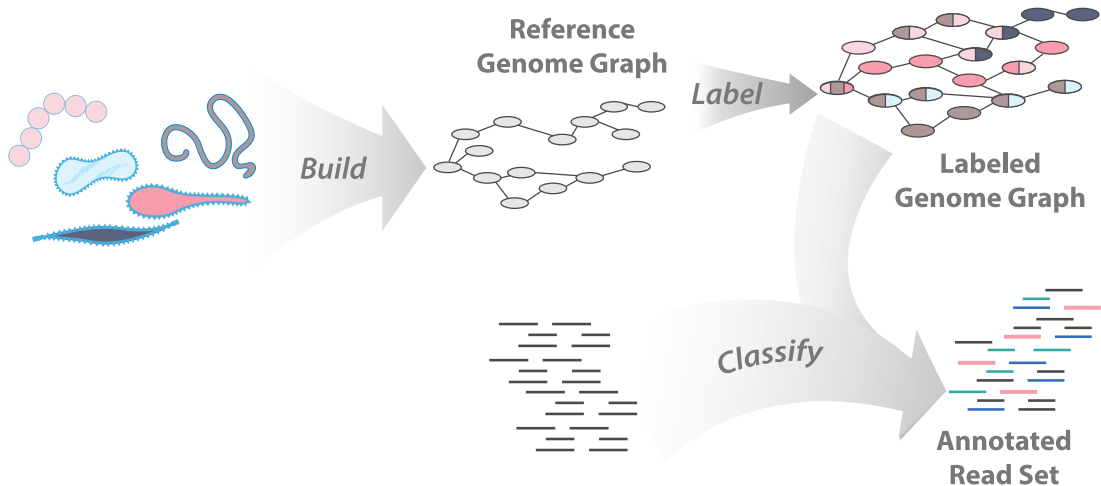




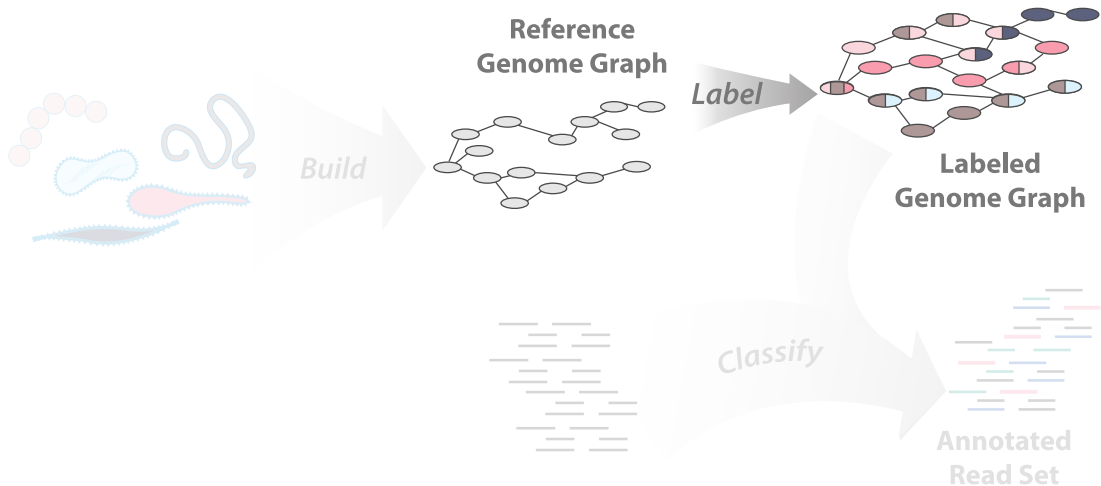
Sparse Binary Relation Representations for Genome Graph Annotation

Mikhail Karasikov, Harun Mustafa, Amir Joudaki, Sara Javadzadeh-No, Gunnar Räscher, André Kahles

Motivation



Motivation



Graph annotation: relations between k-mers and labels

Annotation $\subset k\text{-mers} \times \text{labels}$

	Annotation							
TGAC	1	0	1	0	0	1	1	0
GACT	1	0	0	1	0	0	0	0
CTGA	0	0	1	0	1	0	0	0
TTGA	0	0	0	0	1	0	0	1
ACTG	0	0	0	0	0	0	0	0
ACTT	0	1	0	1	1	0	0	1
CTTG	0	0	0	0	0	1	1	0
	label 1	label 2	label 3	label 4	label 5	label 6	label 7	label 8
								label m

Graph annotation: relations between k-mers and labels

	Annotation							
TGAC	1	0	1	0	0	1	1	0
GACT	1	0	0	1	0	0	0	0
CTGA	0	0	1	0	1	0	0	0
TTGA	0	0	0	0	1	0	0	1
ACTG	0	0	0	0	0	0	0	0
ACTT	0	1	0	1	1	0	0	1
CTTG	0	0	0	0	0	1	1	0
	label 1	label 2	label 3	label 4	label 5	label 6	label 7	label 8
								label m

Annotation $\subset k\text{-mers} \times \text{labels}$

Annotation matrix $A \in \{0, 1\}^{n \times m}$

$n : \#k\text{-mers}$

$m : \#\text{labels}$

$A_{ij} = 1$ iff $k\text{-mer } i$ has label j

Graph annotation: relations between k-mers and labels

	Annotation							
TGAC	1	0	1	0	0	1	1	0
GACT	1	0	0	1	0	0	0	0
CTGA	0	0	1	0	1	0	0	0
TTGA	0	0	0	0	1	0	0	1
ACTG	0	0	0	0	0	0	0	0
ACTT	0	1	0	1	1	0	0	1
CTTG	0	0	0	0	0	1	1	0
	label 1	label 2	label 3	label 4	label 5	label 6	label 7	label 8
								label m

Annotation $\subset k\text{-mers} \times \text{labels}$

Annotation matrix $A \in \{0, 1\}^{n \times m}$

$n : \#k\text{-mers}$

$m : \#\text{labels}$

$A_{ij} = 1$ iff $k\text{-mer } i$ has label j

$n \sim 10^9 - 10^{11}$

$m \sim 10^3 - 10^6$

Graph annotation: relations between k-mers and labels

	Annotation							
TGAC	1	0	1	0	0	1	1	0
GACT	1	0	0	1	0	0	0	0
CTGA	0	0	1	0	1	0	0	0
TTGA	0	0	0	0	1	0	0	1
ACTG	0	0	0	0	0	0	0	0
ACTT	0	1	0	1	1	0	0	1
CTTG	0	0	0	0	0	1	1	0
	label 1	label 2	label 3	label 4	label 5	label 6	label 7	label 8

Annotation $\subset k\text{-mers} \times \text{labels}$

Annotation matrix $A \in \{0, 1\}^{n \times m}$

$n : \#k\text{-mers}$

$m : \#\text{labels}$

$A_{ij} = 1$ iff $k\text{-mer } i$ has label j

$n \sim 10^9 - 10^{11}$

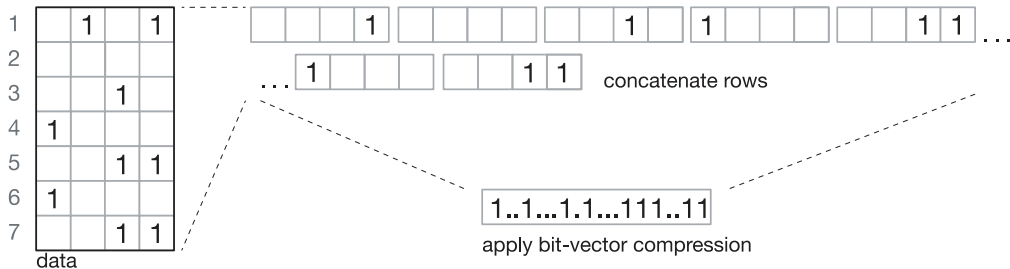
$m \sim 10^3 - 10^6$

How do we compress this?

State-of-the-art row-major representations

Muggli *et al.* (2017)

VARI (Flat row-major)



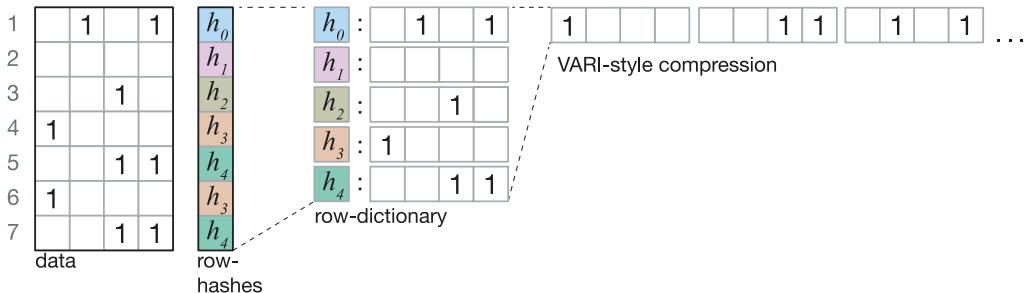
Row query: $O(1)$

Column query: $O(n)$

State-of-the-art row-major representations

Almodaresi *et al.* (2017)

Rainbowfish



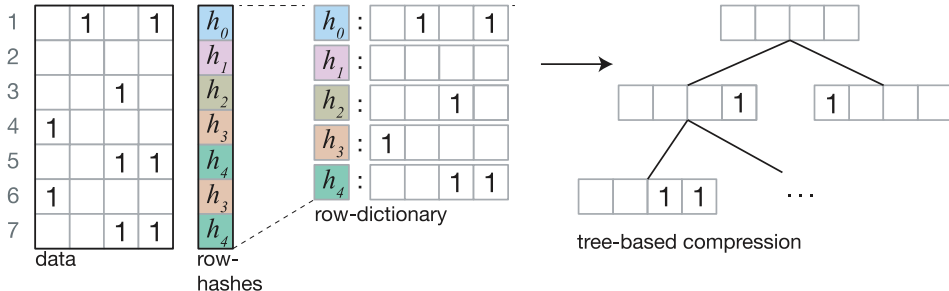
Row query: $O(1)$

Column query: $O(n)$

State-of-the-art row-major representations

Almodaresi *et al.* (2019)

Mantis



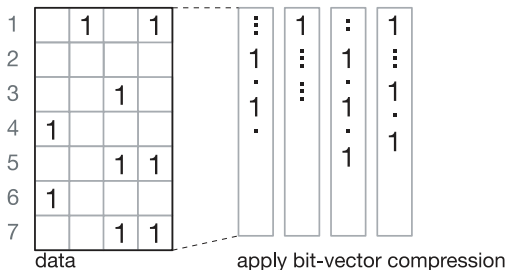
Row query: $O(\text{tree height})$
Worst-case

Column query: $O(n)$

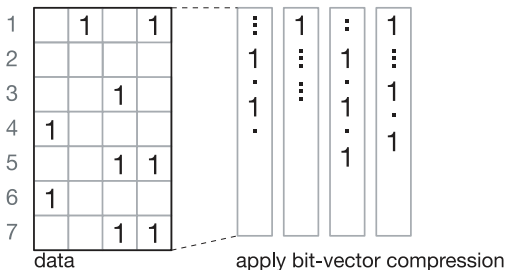
Column-major binary relation representation

Column compressed annotation enables

- independent construction of each column
- fast column queries



Column-major binary relation representation



Column compressed annotation enables

- independent construction of each column
- fast column queries

Converting to hierarchical compression

- takes advantage of column similarities
- allows for sub- $O(m)$ row query time

Binary relation wavelet trees (BRWT)

Barbay *et al.* (2013)

1	1	1			
2					
3				1	
4			1		1
5				1	
6	1				
7		1	1		

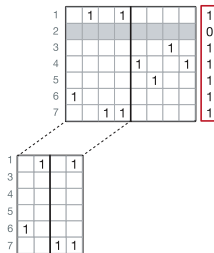
Binary relation wavelet trees (BRWT)

Barbay *et al.* (2013)

1		1	1					1
2								0
3							1	1
4					1			1
5						1		1
6	1							1
7			1	1				1

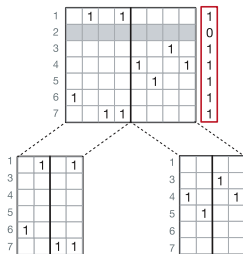
Binary relation wavelet trees (BRWT)

Barbay *et al.* (2013)



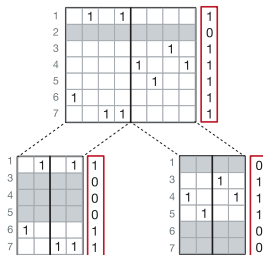
Binary relation wavelet trees (BRWT)

Barbay *et al.* (2013)



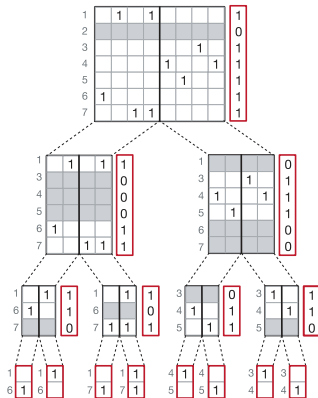
Binary relation wavelet trees (BRWT)

Barbay *et al.* (2013)

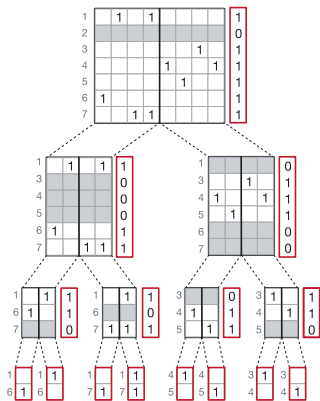


Binary relation wavelet trees (BRWT)

Barbay *et al.* (2013)



Binary relation wavelet trees (BRWT)

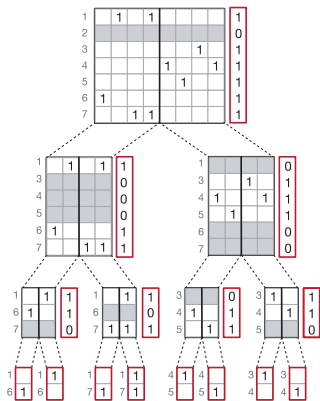


Hierarchical column compression

Each step removes zero-rows and splits matrix vertically

A similar concept is used in Split Sequence Bloom Trees (SSBT), where each column represents a Bloom filter (Solomon and Kingsford (2018))

Binary relation wavelet trees (BRWT)



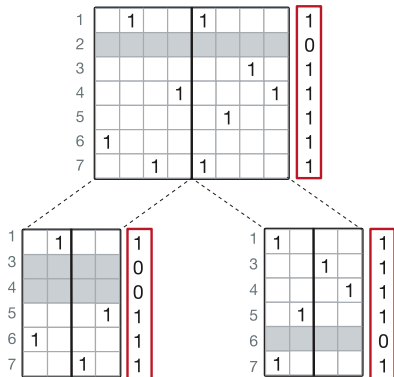
Hierarchical column compression

Each step removes zero-rows and splits matrix vertically

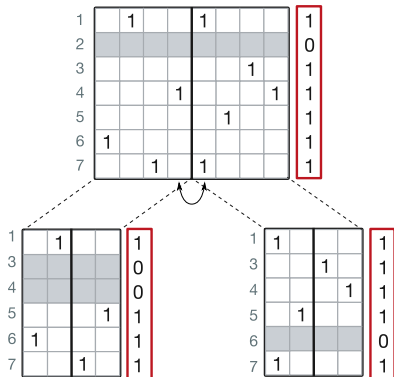
A similar concept is used in Split Sequence Bloom Trees (SSBT), where each column represents a Bloom filter (Solomon and Kingsford (2018))

Let's generalize and improve this!

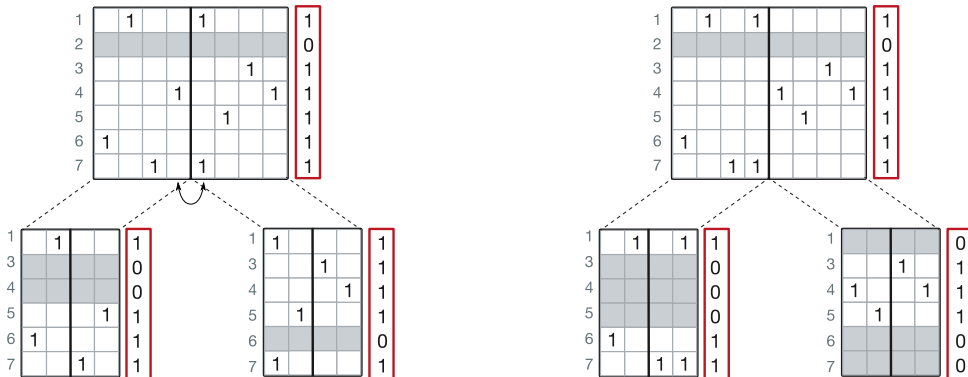
Generalizing BRWT: optimized column partitioning



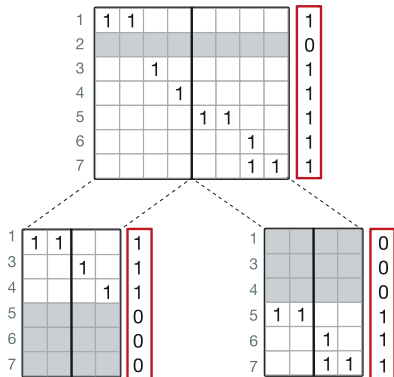
Generalizing BRWT: optimized column partitioning



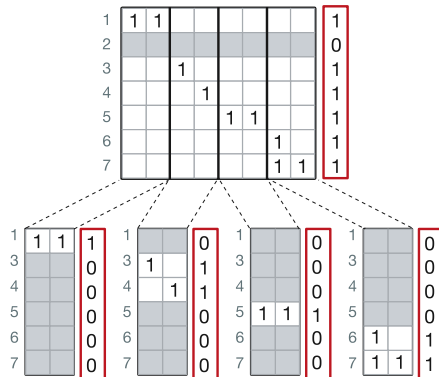
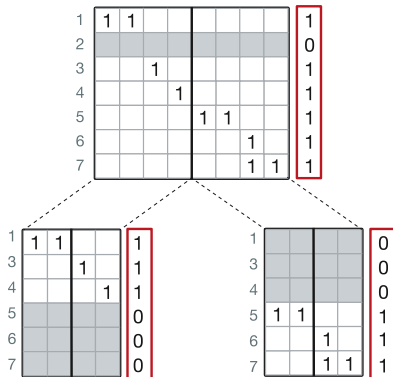
Generalizing BRWT: optimized column partitioning



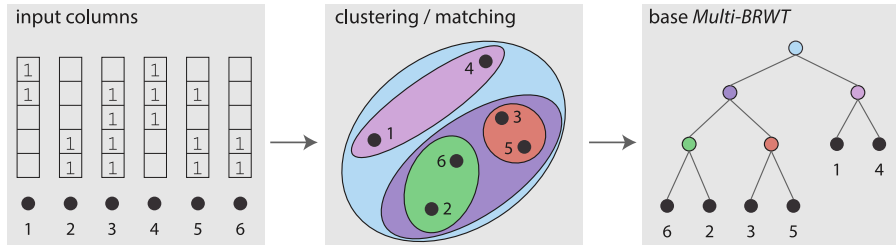
Generalizing BRWT: increasing tree arity



Generalizing BRWT: increasing tree arity



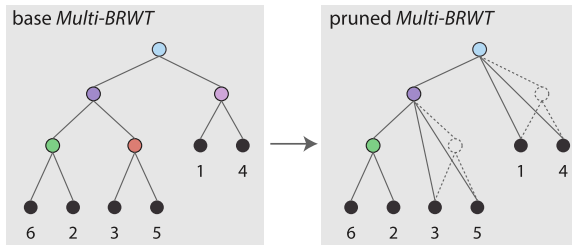
Technique 1: Multi-BRWT Construction via column clustering



Each cluster defines a node in the BRWT tree

Proposed implementation: Greedy pairwise matching of columns (GPM)

Technique 2: Arity relaxation

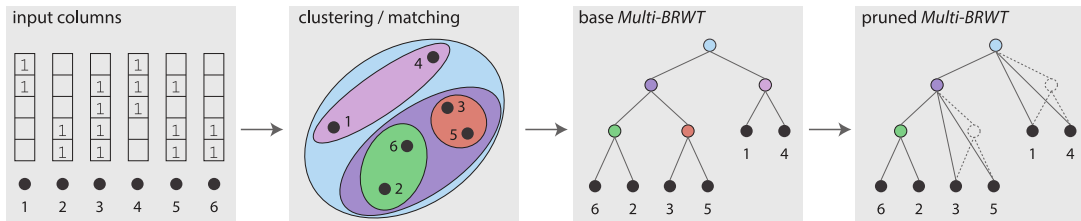


Remove internal node v and assign $\text{Children}(v)$ to their grandparent if:

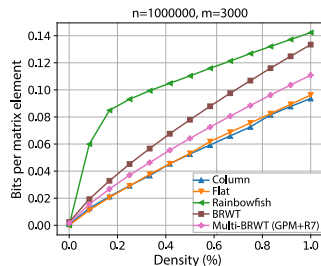
$$\widehat{\text{Space}(\text{Children}(v))} < \text{Space}(v) + \text{Space}(\text{Children}(v)).$$

Apply greedily up the tree starting from the leaves

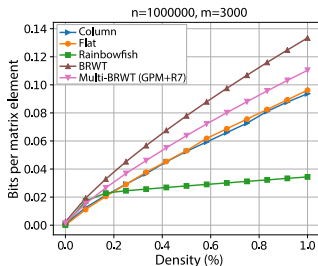
Construction of our Multi-BRWTs



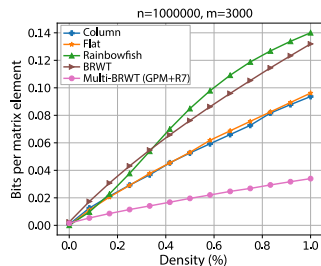
Results: simulated binary relation matrices



Random rows
Significant overhead



Duplicated rows
Rainbowfish performs well



Duplicated columns
Multi-BRWT scales best

Real-world data: genome graph annotations

Kingsford (Solomon and Kingsford (2018))

- Low variability
- Graph: Human RNA-Seq
- $n = 3,693,178,415$
- Labels: SRA accession IDs
- $m = 2,586$
- density: 0.19%

RefSeq (Agarwala *et al.* (2017))

- High variability
- Graph: 79,448 reference genomes
- $n = 1,073,741,824$
- Labels: Taxonomic family
- $m = 3,173$
- density: 3.8%

Results: genome graph annotations

Methods	Kingsford	RefSeq
Column	36.56	80.18
Flat	41.21	121.60
Rainbowfish	23.16	136.65
BRWT	14.05	57.24

Sizes measured in gigabytes (Gb).

Results: genome graph annotations

Methods	Kingsford	RefSeq
Column	36.56	80.18
Flat	41.21	121.60
Rainbowfish	23.16	136.65
BRWT	14.05	57.24
Multi-BRWT (5-ary)	13.01	53.09

Sizes measured in gigabytes (Gb).

Results: genome graph annotations

Methods	Kingsford	RefSeq
Column	36.56	80.18
Flat	41.21	121.60
Rainbowfish	23.16	136.65
BRWT	14.05	57.24
Multi-BRWT (5-ary)	13.01	53.09
Multi-BRWT (GPM)	10.60	50.13
Multi-BRWT (GPM + relax up to 20-ary)	9.95	43.62

Sizes measured in gigabytes (Gb).

Conclusions

- Column-major hierarchical compression provides
 - Up to 29% improvement in compression ratio over baseline BRWT
 - Up to 68% improvement over the state-of-the-art
 - Good row query, much faster column query
- More robust to unique k -mer growth for increasing number of columns
 - Row similarity a by-product of column similarity
- Future work
 - Improvements to column clustering
 - Caching to improve query time
 - Hybrid compression schemes
 - Dynamic operations (insert, delete, rearrange, etc.)

Acknowledgements



Mikhail Karasikov



Harun Mustafa



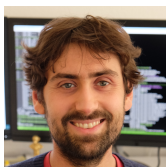
Amir Joudaki



Sara Javadzadeh-No



Gunnar Rätsch



André Kahles

Thanks to:
Mario Stanke
Torsten Hoefler
Biomedical Informatics

References

- Agarwala, R., Barrett, T., Beck, J., Benson, D. A., Bollin, C., Bolton, E., Bourexis, D., Brister, J. R., Bryant, S. H., Canese, K., Charowhas, C., Clark, K., DiCuccio, M., Dondoshansky, I., Feolo, M. et al. (2017). Database Resources of the National Center for Biotechnology Information. *Nucleic Acids Research*.
- Almodaresi, F., Pandey, P., and Patro, R. (2017). Rainbowfish: A Succinct Colored de Bruijn Graph Representation. In R. Schwartz and K. Reinert, editors, *17th International Workshop on Algorithms in Bioinformatics (WABI 2017)*, volume 88 of *Leibniz International Proceedings in Informatics (LIPIcs)*, pages 18:1–18:15, Dagstuhl, Germany. Schloss Dagstuhl–Leibniz-Zentrum fuer Informatik.
- Almodaresi, F., Pandey, P., Ferdman, M., Johnson, R., and Patro, R. (2019). An efficient, scalable and exact representation of high-dimensional color information enabled via de bruijn graph search. In *International Conference on Research in Computational Molecular Biology*, pages 1–18. Springer.
- Barbay, J., Claude, F., and Navarro, G. (2013). Compact binary relation representations with rich functionality. *Information and Computation*.
- Kokot, M., Długosz, M., and Deorowicz, S. (2017). KMC 3: counting and manipulating k-mer statistics. *Bioinformatics*, **33**(17), 2759–2761.
- Muggli, M. D., Bowe, A., Noyes, N. R., Morley, P. S., Belk, K. E., Raymond, R., Gaggie, T., Puglisi, S. J., and Boucher, C. (2017). Succinct colored de Bruijn graphs. *Bioinformatics*.
- Solomon, B. and Kingsford, C. (2018). Improved Search of Large Transcriptomic Sequencing Databases Using Split Sequence Bloom Trees. *Journal of Computational Biology*, **25**(7), 755–765.

Appendix

Construction time, RAM usage

Methods	Kingsford	RefSeq
Flat	2.2h 75GB	29h 201GB
Rainbowfish	5h 287GB	100h 1.6TB
BRWT (p=4)	9h 82GB	21h 83GB
Multi-BRWT (5-ary, p=4)	4h 44.5GB	10h 82.6GB
Multi-BRWT (GPM) (p=30)	3h 99GB	10.5h 103GB
Multi-BRWT (GPM + relax 20)	5.5h(2.5h) 99GB(12GB)	22.5h(12h) 103GB(47GB)

Sizes measured in gigabytes (Gb).

Graph construction

Kingsford data

- Extracted k -mers using KMC Kokot *et al.* (2017)
- Filtered k -mers using approach in Almodaresi *et al.* (2017)
- Added k -mers to a hash table
- Annotate only canonical k -mers

RefSeq data

- Extract k -mers using in-house encoder
- Populate succinct bit vector indexed by k -mer encodings
- Annotate forward k -mers

Simulated data: fewer columns

